

2 OF THE DOCTRINE OF PLANES.

S A M E F I G U R E.

The lines BA , ED , GF , &c. being drawn in the plane BF perpendicularly to AF , the common section of the two planes BF , FN , if they are also perpendicular to the plane FN , the plane BF passing through those lines, is perpendicular to the plane FN .

III.

The inclination of a line to a plane is the acute angle formed by that line, and another line drawn from the point, in which the first line meets the plane, to the point in which a perpendicular to the plane, drawn from any point of the first-mentioned line above the plane, meets the same plane.

S A M E F I G U R E.

Thus the acute angle FDG is the inclination of the line DG to the plane FN .

IV.

The inclination of a plane to a plane is the acute angle formed by two lines drawn from any the same point of their common section at right angles to it, one upon one plane, and the other upon the other plane.

S A M E F I G U R E.

Raise up the planes DY , ZX , making WY coincide with Wy . Then the line DW , being the common section of the planes DY , DZ , and RT perpendicular thereto, and RS also perpendicular thereto, at the same point R , the acute angle SRT is the inclination of the plane DY to the plane DZ .

V.

Two planes are said to have the same or a like inclination one to the other, which two other planes have to each other, when the said angles of inclination are equal to one another.

VI.

Two planes, which, being either way produced, do not meet each other, are said to be parallel one to the other.

VII.

A pyramid is a solid figure contained by planes that are constituted betwixt one plane and one point out of that plane, all meeting in that one point.

ILLUSTRATION. Plate II. Fig. 2.

Make B in the triangle LAB coincide with B in the plane LB , also make C coincide with C , and L with L , and B in the triangle BAE with B in the plane LB , then will the Figure thus formed represent a pyramid.

VIII.

The point A is the vertex of the pyramid. The plane LB the base thereof. The planes LAB , BAC , &c. the Sides thereof. And the line AH the perpendicular altitude or height thereof above the plane of its base LB .

THEOREM I.

One part of a line cannot be in a plane and another part thereof above it.

PLATE I. Fig. 1.

Make F in the plane FB coincide with F in the plane FN .

DEMONSTRATION.

For, if it be possible, let AD , part of the line ADG , be in the plane FN , and the part DG above the same, then AD being in the plane FN , it can be produced in that plane suppose to F ; now the points D and G are in the plane BF , which passes through the